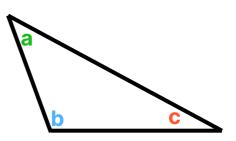
Key Rules:

• Angles in a triangle add up to 180 degrees





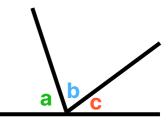
Angles in a quadrilateral add up to 360 degrees

$$a + b + c + d = 360$$



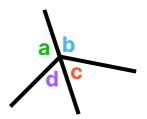
• Angles on a straight line add up to 180 degrees

$$a + b + c = 180$$

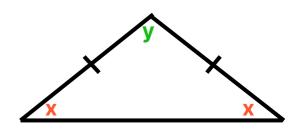


• Angles around a point add up to 360 degrees

$$a + b + c + d = 360$$

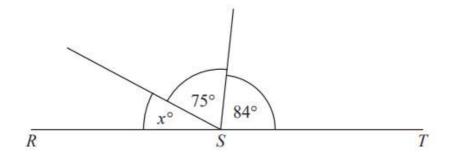


• Two sides and two angles of an isosceles triangle are the same





Questions:

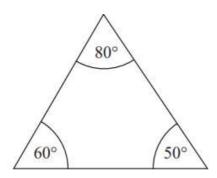


RST is a straight line.

Work out the value of x.

Give a reason for your answer.

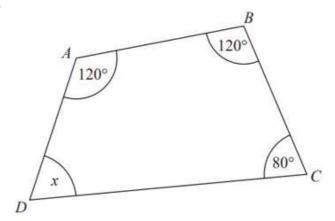
The diagram below shows a triangle.



Explain why the diagram is wrong.



ABCD is a quadrilateral.



Work out the size of the angle x.

Give a reason for your answer.

Jemma measures all the angles around a point.

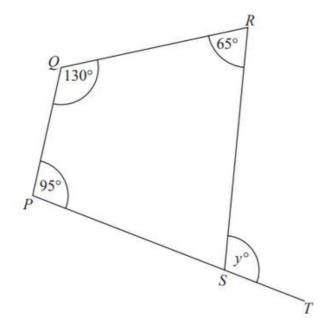
Her results are 23, 145, 23 and 69 degrees.

Explain why these results cannot be true.



PQRS is a quadrilateral.

PST is a straight line.



Find the value of y

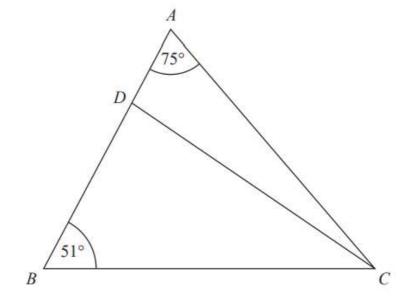


The diagram shows triangle ABC.

ABD is a straight line.

the size of angle DCB: the size of angle ACD = 2:1

Work out the size of angle BDC.



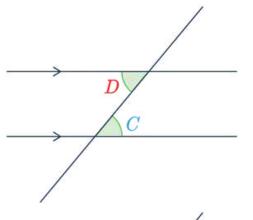


Parallel Lines and Angles

Alternate Angles

$$D = C$$

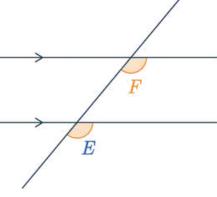
They are found in a 'Z' shape and are sometimes called Z angles.



Corresponding Angles

$$F = E$$

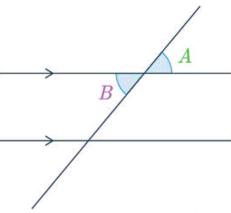
They are found in a 'F' shape and are sometimes called F angles.



Vertically Aligned Angles

$$B = A$$

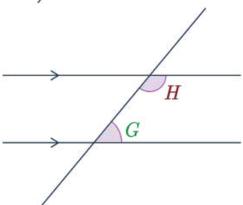
They are found vertically opposite each other.



Interior/Allied Angles

$$H + G = 180$$

They are found in a 'C' shape and can be referred to as either allied or interior angles

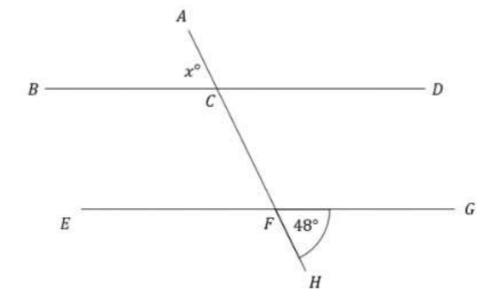




Questions:

BD and EG are parallel lines. Find the angle marked x in the picture below.

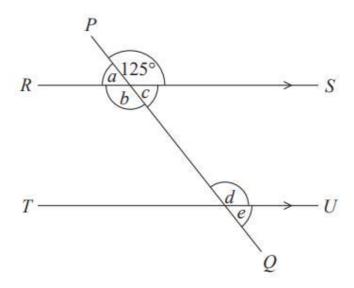
Give a reason for each stage of your working.





RS and TU are parallel lines.

PQ is a straight line.

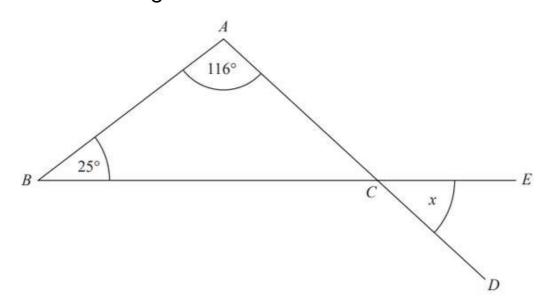


Write down the letter of one other angle of size 125 degrees

Explain why a + b + c = 235 degrees



The diagram shows a triangle ABC.



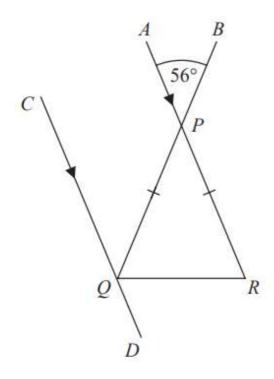
ACD and BCE are straight lines.

Work out the size of the angle marked x.

Give a reason for each stage of your working.



In the diagram, PQR is an isosceles triangle with PQ = PR



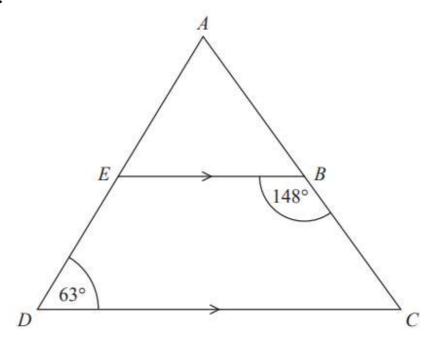
APR and CQD are parallel lines. BPQ is a straight line.

Work out the size of angle CQR.

Give a reason for each stage of your working.



ADC is a triangle.



AED and ABC are straight lines. EB is parallel to DC.

Work out the size of angle EAB.

You must give a reason for each stage of your working.



Interior Angles

There is a formula for the sum of the interior angles inside a shape:

n ---> number of sides

Triangle ---> $(3-2) \times 180 = 180 \text{ degrees}$

Quadrilateral ---> (4-2) x 180 = 360 degrees

Note: If the shape is **regular** this means all the angles are the same. You can therefore divide the total interior angles by the amount of sides to find each individual interior angle:

Example:

Work out the size of each interior angle inside a regular pentagon.

Pentagon ---> 5 sided shape Sum of interor angles = $(5-2) \times 180 = 540$ Each interior angle = $540 \div 5 = 108$ degrees



Exterior Angles

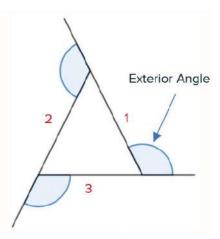
There is a formula to find the exterior angle of a regular shape:

360÷n

n ---> number of sides

Triangle ---> $360 \div 3 = 120$ degrees

Note: This formulae only works for regular shapes.



Example:

Each exterior angle of a regular polygon is 15 degrees.

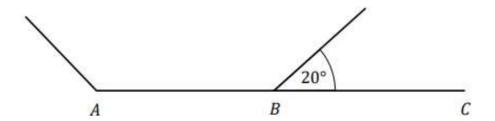
Work out the number of sides of the polygon.

 $360 \div n = 15$

 $n = 360 \div 15 = 24 \text{ sides}$



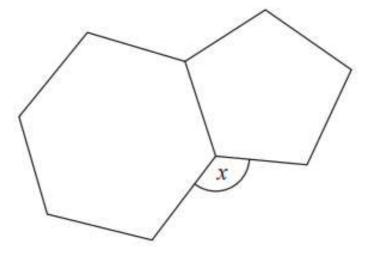
The diagram below shows a regular polygon.



Find the number of sides of the polygon.



Here is a regular hexagon and a regular pentagon.

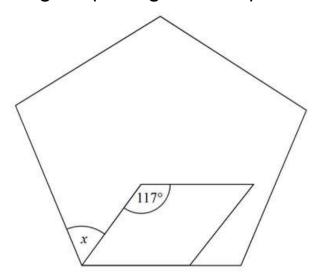


Work out the size of the angle marked x.

You must show all your working.



The diagram shows a regular pentagon and a parallelogram.



Work out the size of the angle marked x.

You must show all your working.

